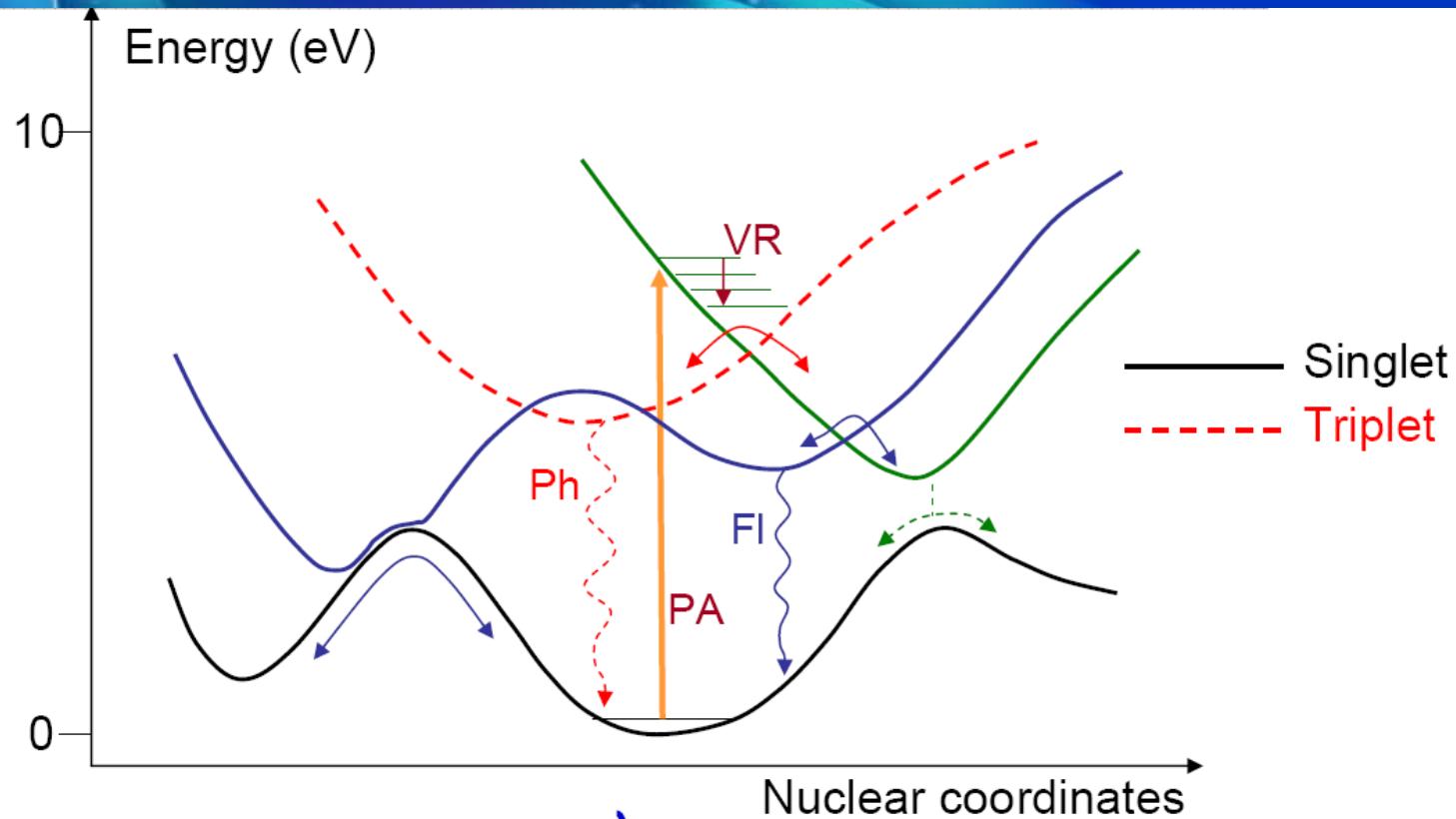


# Modeling laser-induced spin crossover transition using time- dependent density functional theory

Alex-Adrian Farcas, Attila Bende

1. Types of state intersections
2. Calculation of the intersections
3. Methods
4. Python program
5. Singlet vs Triplet
6. Ni–tetrakis(pentafluorophenyl)porphyrin - phenylazopyridine (NiTPP-PAPy)
7. Bibliography



|                             |                      |                             |
|-----------------------------|----------------------|-----------------------------|
|                             | 1 fs                 | } <i>ab initio dynamics</i> |
| conical intersection        | $10-10^2$ fs         |                             |
| avoided crossing            | $10^2-10^4$ fs       |                             |
| VR – vibrational relaxation | $10^2-10^5$ fs       |                             |
| intersystem crossing        | $10^5-10^7$ fs       |                             |
| FI – fluorescence           | $10^6-10^8$ fs       |                             |
| Ph – phosphorescence        | $10^{12}-10^{17}$ fs |                             |

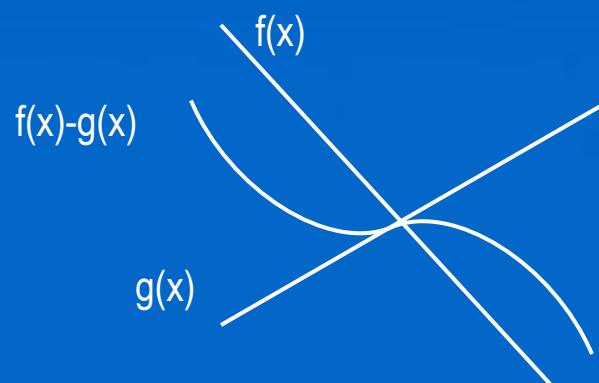
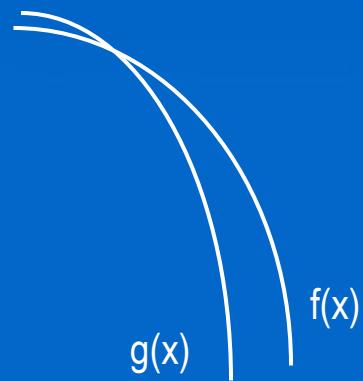
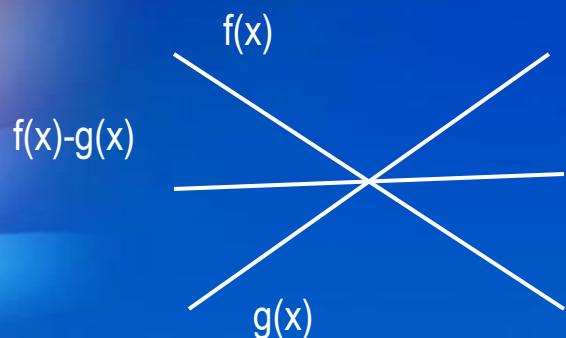
In the simplest case one can calculate excited state energies as energy differences of single-reference calculations.

$$\Delta E(\text{ex}) = E(\text{excited state}) - E(\text{ground state}).$$

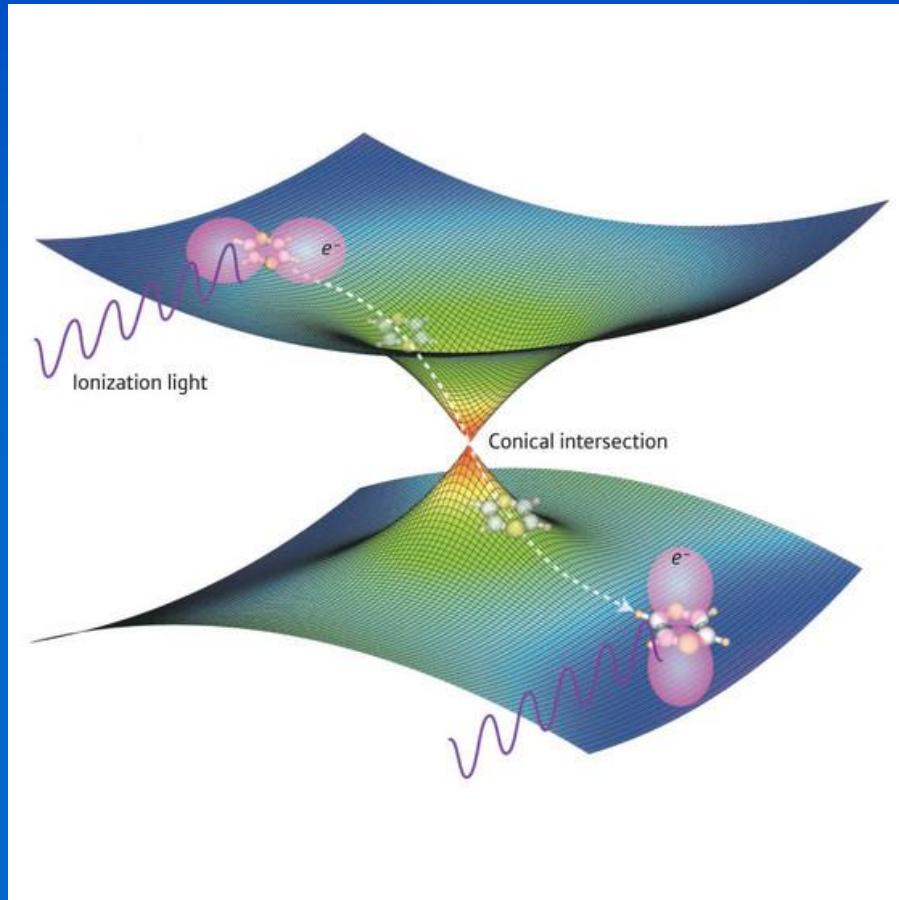
This can be done:

- For states of different symmetry ( $A'$ ,  $A''$ , etc.)
- For states of different multiplicity (singlet, triplet)
- Possibly for states that occupy orbitals of different symmetry

## Possible cases

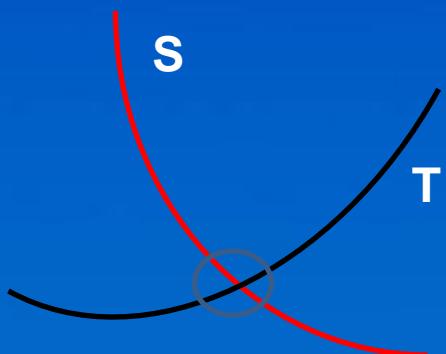


# Different states intersection



# Penalty function method

$$f(R) = \frac{E_S + E_T}{2} + c_a c_b^2 \ln \left[ 1 + \left( \frac{E_T - E_S}{c_b} \right)^2 \right]$$



**Gradient:**

$$\boxed{\frac{\partial E}{\partial i} = (0.5 + s) \frac{\partial E_T}{\partial i} + (0.5 - s) \frac{\partial E_S}{\partial i}} \quad i = x, y, z$$

where  $s$  is the scale functions  $s \rightarrow 0$  if  $E_T - E_S \rightarrow 0$

# Gradient projection method

Minimization gradients:

$$f_1 = 2(E_I - E_J) \frac{g_{IJ}}{\|g_{IJ}\|}$$

$$f_2 = P \frac{\partial E_J}{\partial q}$$

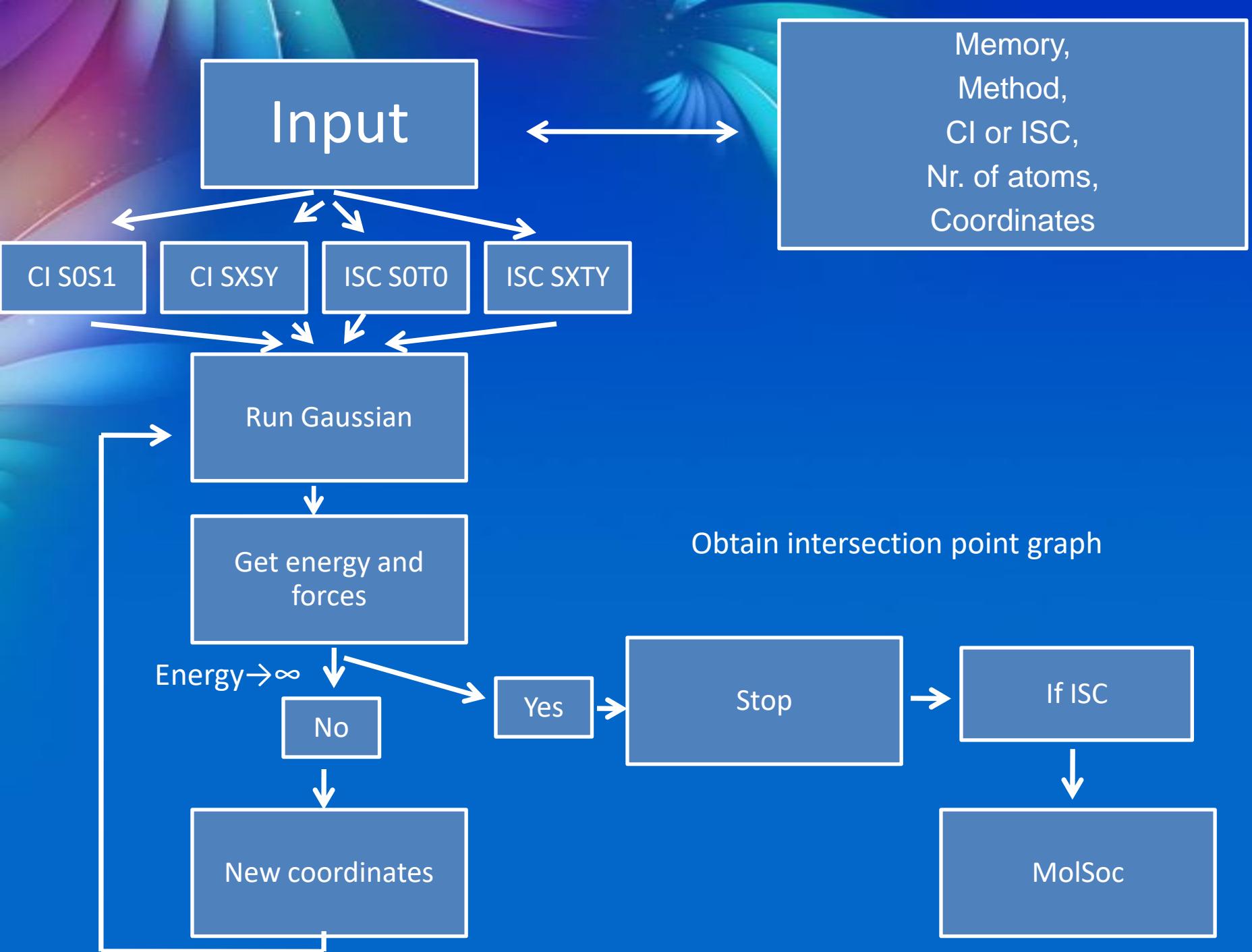
$$P = I - \tilde{g}_{IJ} \tilde{g}_{IJ}^+ - \tilde{h}_{IJ} \tilde{h}_{IJ}^+$$

Projection matrix

$$g = c_3[c_4 f_1 + (1 - c_4) f_2]$$

Gradient

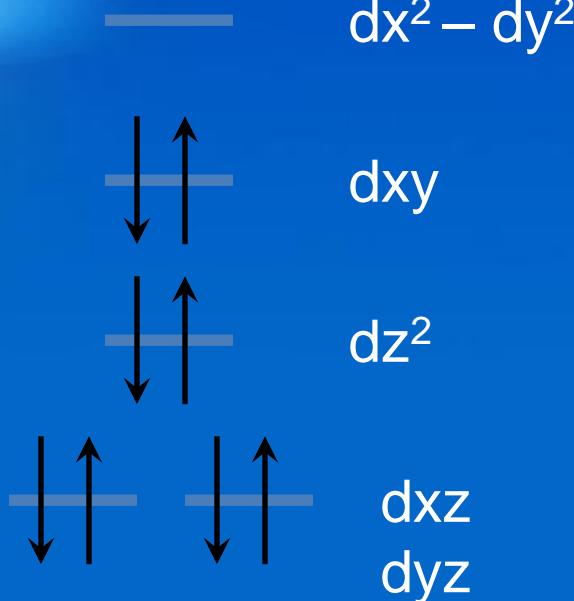
$$c_3 > 0 \quad 0 < c_4 \leq 1$$



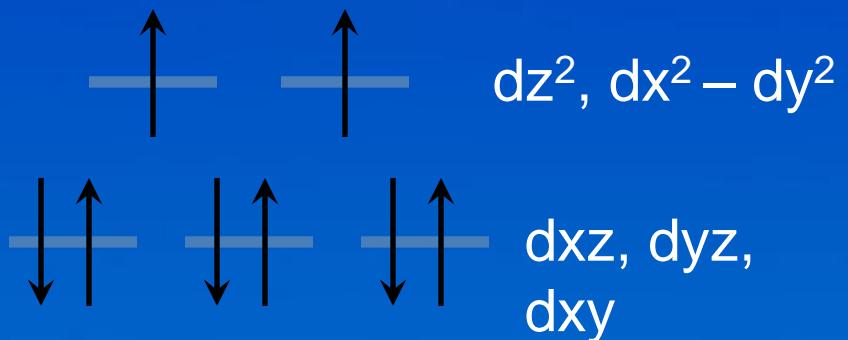
# Singlet vs triplet spin states

Ni(II) → 3d<sup>8</sup>

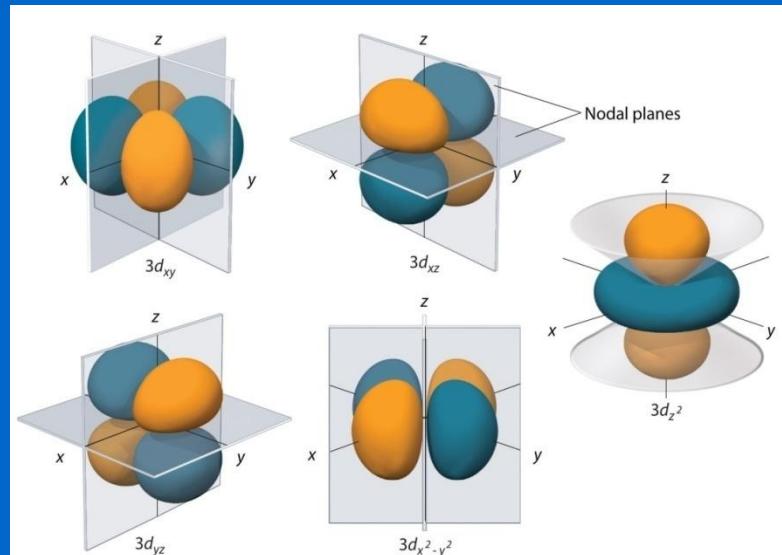
The Ni (II) electronic spin state in square-planar configuration:



The Ni(II) spin state in octahedral configuration:

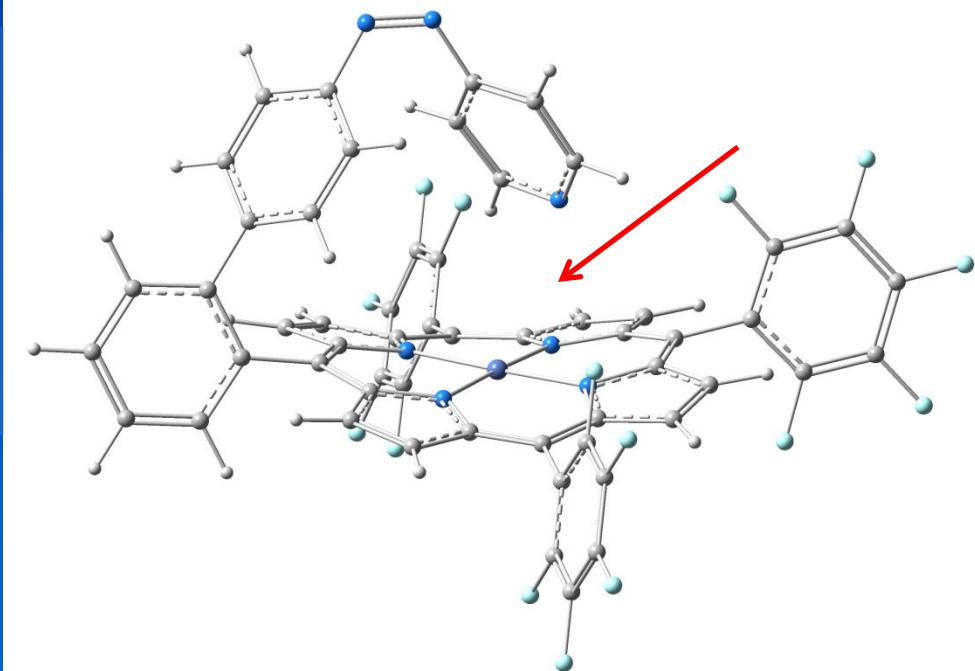


3d orbitals of Ni(II)

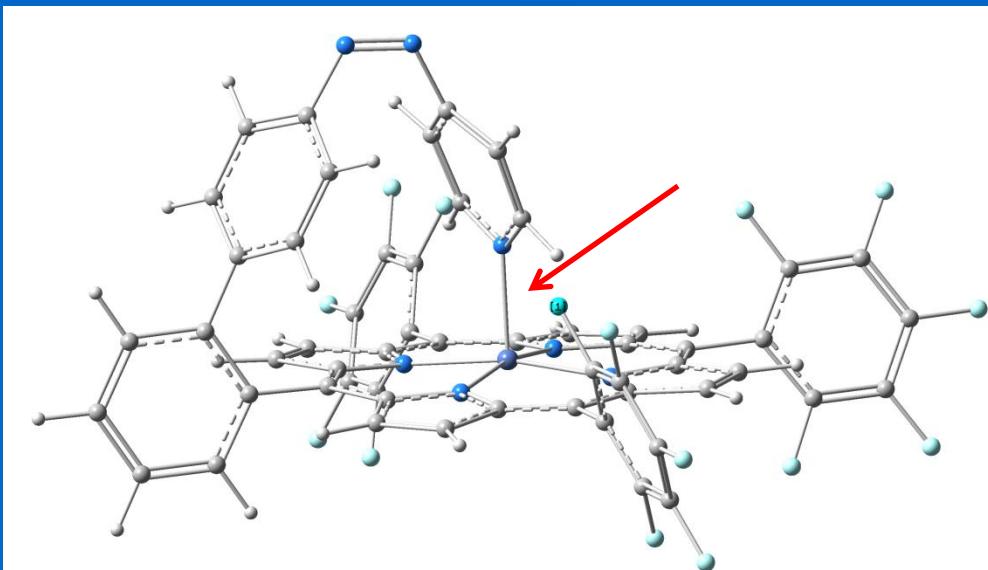


# Ni– tetrakis(pentafluorophenyl) porphyrin - phenylazopyridine (NiTPP- PAPy)

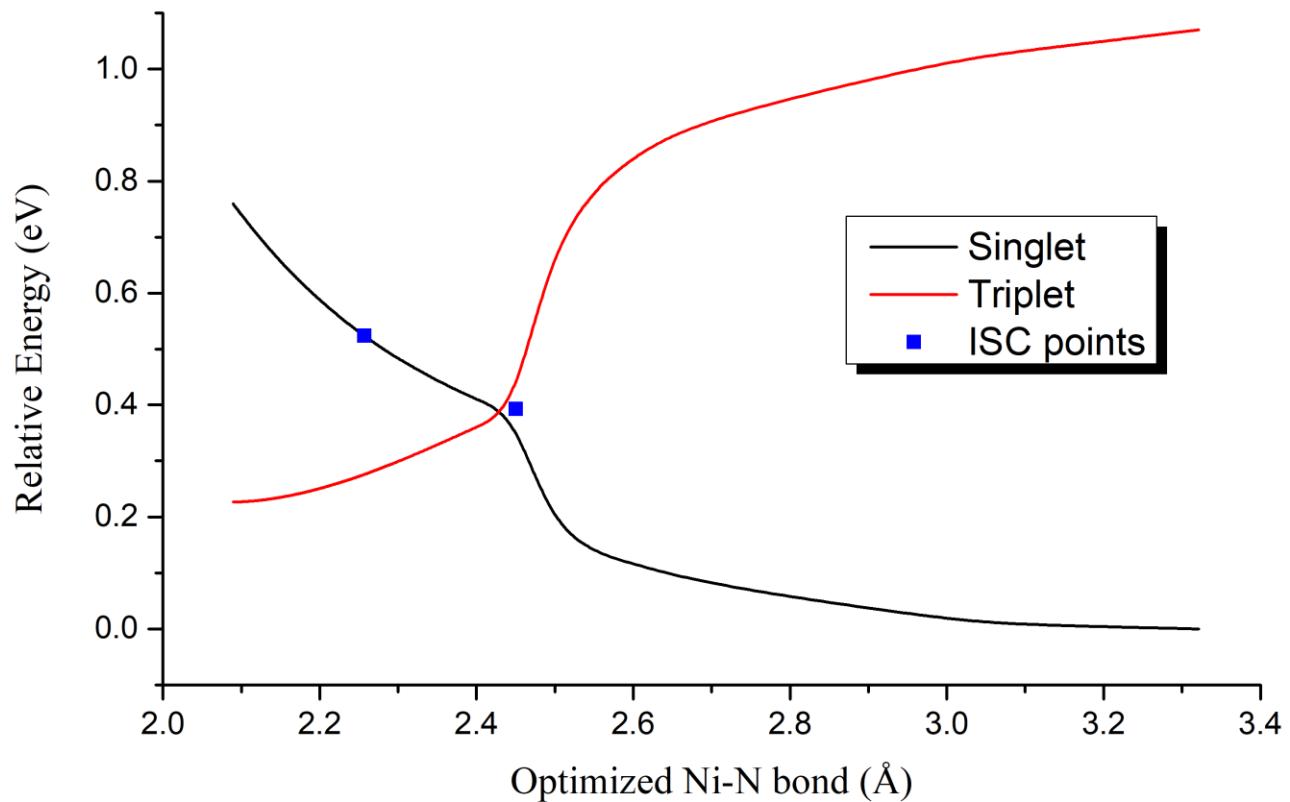
Singlet  
spin state



Triplet  
spin state

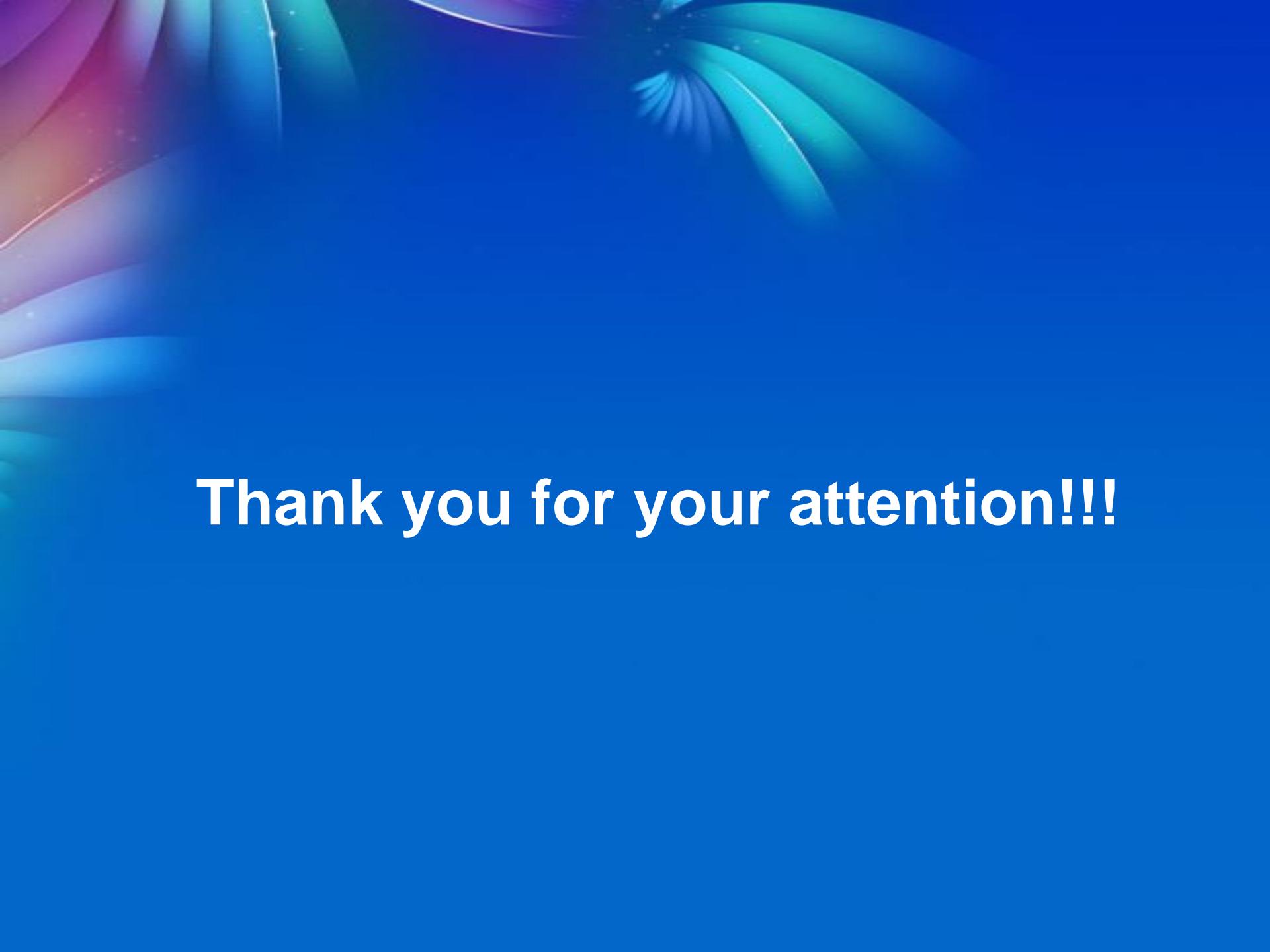


# Ni–tetrakis(pentafluorophenyl)porphyrin - phenylazopyridine (NiTPP-PAPy)



# Bibliography

- Thomas W. Keal · Axel Koslowski · Walter Thiel, Comparison of algorithms for conical intersection optimisation using semiempirical methods  
• riken.jp
- Bernardi F,Olivucci M,Robb MA (1996) Chem Soc Rev25:321– 328
- DomckeW,YarkonyDR,KöppelH(eds)(2004)Conical intersections: electronic structure, dynamics and spectroscopy. Advanced series in physical chemistry, vol 15. World Scientific, Singapore
- Schoenlein RW, Peteanu LA, Mathies RA, Shank CV (1991) Science 254:412– 415
- Koga N, Morokuma K (1985) Chem Phys Lett 119:371–374
- Farazdel A, Dupuis M (1991) J Comput Chem 12:276–282
- RagazosIN,RobbMA,BernardiF,OlivucciM (1992) ChemPhys Lett 197:217–223
- Manaa MR, Yarkony DR (1993) J Chem Phys 99:5251–5256
- Anglada JM, Bofill JM (1997) J Comput Chem 18:992–1003
- KoslowskiA,BeckME,ThielW (2003) JComputChem24:714– 726
- Yarkony DR (2004) J Phys Chem A 108:3200–3205



**Thank you for your attention!!!**